

Medium Access Control - I

by

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Introduction to MAC



- Types of **network**
 - Switched communication networks
 - Users are interconnected by means of transmission lines, multiplexers and switches
 - **Broadcast** networks
 - A single transmission media is shared by all the users and information is broadcast by an user into the medium
- Two types of **network links**:
 - **point-to-point** links
 - protocol => PPP, HDLC
 - **broadcast** links
 - protocol => multiple access protocols
- **Issues in MAC**
 - The question is “who goes next?” – The proposed scheme are MAC protocols
 - The key issues involved : **where** and **how** the control is exercised

Where & How ?



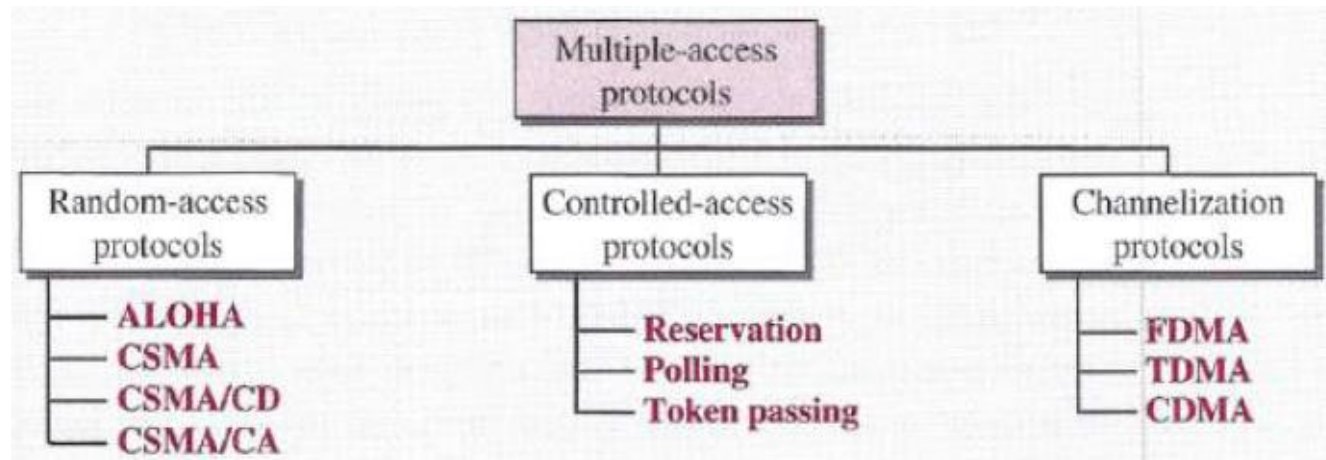
➤ Where?

- **Centralized** : a designated station has an authority to grant access to the network.
 - Simple logic at each station
 - Greater control to provide features like priority, overrides and guaranteed bandwidth
 - Easy coordination
 - Lower reliability
- **Distributed**: stations can dynamically determine transmission order.
 - Complex, reliable and scalable

➤ How?

- **Synchronous**: dedicated specific capacity to a connection.
- **Asynchronous**: allocates capacity dynamically

Multiple Access Protocols



- **Random Access**
 - No station is **superior** to another station
 - None is assigned **control** over another
 - No **scheduled time** for transmission
 - Station **compete with one another** to access the medium
 - It is **better than other types** as
 - **Very large number of stations** can be fitted easily
 - In the network, a **station can be added/removed dynamically**

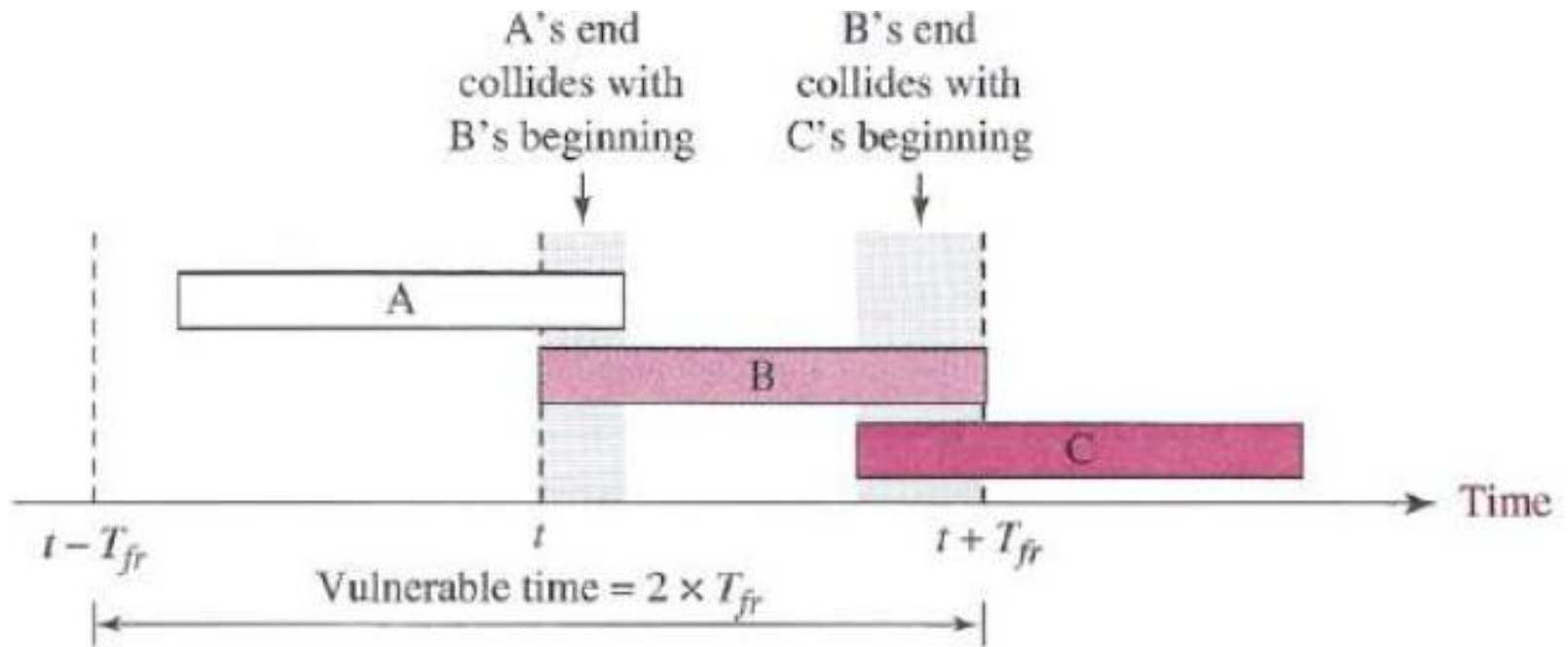
Pure ALOHA



- Developed in early 1970 at University of Hawaii
- Principle:
 - each station sends a frame **whenever** it has a frame to send
 - relies on **acknowledgments** from the receiver
 - if **time-out** occurs, then wait for random **backoff time** before **retransmission**
 - after a **maximum number of retransmission**, a station must give up and try later
 - Time-out
 - maximum round-trip time
 - Backoff time
 - random value generated by backoff algorithm (e.g. binary exponential backoff)

Problem in Pure ALOHA

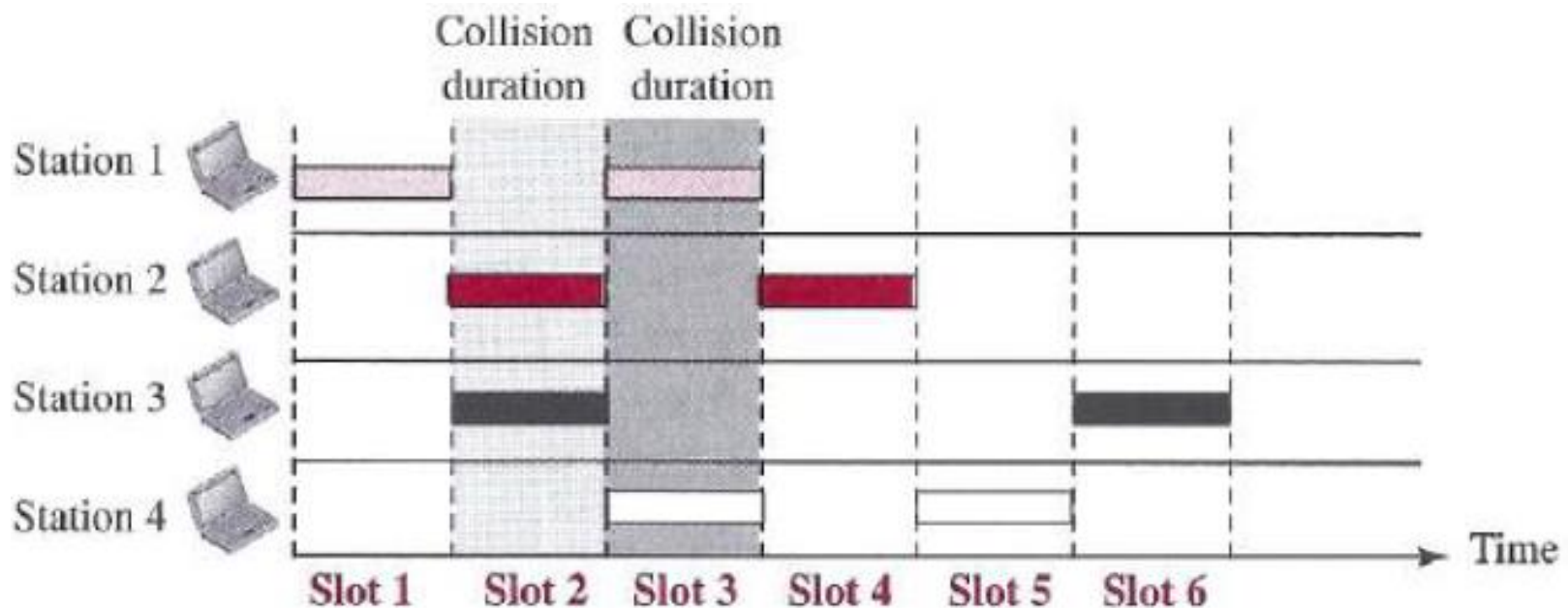
- Frame Collision



- vulnerable time**: the length of time in which there is a possibility of collision.

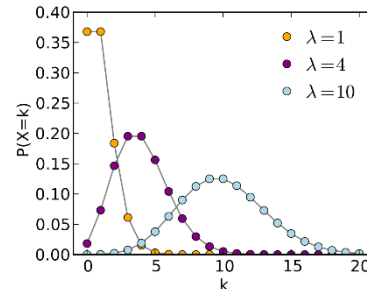
Slotted ALOHA

- we divide the time into **slots of T_{fr} seconds** and force the station to send only at the beginning of the time slot
- If collision occurs, the node retransmit frame in next slot with probability p



- Vulnerable time = T_{fr}

Random Access - Performance

- Let all packet consists of exactly N bits, transmission rate = R bits/sec
 - Let a slot equals the time to transmit a packet
 τ = slot size = transmission time of a packet = N/R sec.
 - Each nodes are synchronized
 - Let there are n nodes
- 
- | k | P(X=k) for $\lambda=1$ | P(X=k) for $\lambda=4$ | P(X=k) for $\lambda=10$ |
|----|------------------------|------------------------|-------------------------|
| 0 | 0.37 | 0.02 | 0.00 |
| 1 | 0.37 | 0.18 | 0.00 |
| 2 | 0.18 | 0.27 | 0.00 |
| 3 | 0.07 | 0.22 | 0.00 |
| 4 | 0.02 | 0.15 | 0.00 |
| 5 | 0.01 | 0.09 | 0.00 |
| 6 | 0.00 | 0.05 | 0.00 |
| 7 | 0.00 | 0.03 | 0.00 |
| 8 | 0.00 | 0.02 | 0.00 |
| 9 | 0.00 | 0.01 | 0.00 |
| 10 | 0.00 | 0.01 | 0.13 |
| 11 | 0.00 | 0.00 | 0.12 |
| 12 | 0.00 | 0.00 | 0.11 |
| 13 | 0.00 | 0.00 | 0.09 |
| 14 | 0.00 | 0.00 | 0.07 |
| 15 | 0.00 | 0.00 | 0.05 |
| 16 | 0.00 | 0.00 | 0.03 |
| 17 | 0.00 | 0.00 | 0.02 |
| 18 | 0.00 | 0.00 | 0.01 |
| 19 | 0.00 | 0.00 | 0.00 |
| 20 | 0.00 | 0.00 | 0.00 |
- Random access schemes assume that a node generate packets according to a Poisson process at a rate of λ frames per unit time,
 - i.e., λ is the average number of packets that arrive in any time interval $[0, t]$ divided by t .
 - Equivalently, λN is the average number of bits generated in any time interval $[0, t]$
 - For a Poisson process, the probability that the number of packet arrivals in a time period $[0, t]$, denoted as $X(t)$, is equal to some integer k is given by

$$p(X(t) = k) = \frac{(\lambda t)^k}{k!} e^{-\lambda t}$$
 - Poisson processes are memoryless,
 - so that the number of packet arrivals during any given time period does not affect the distribution of packet arrivals in any other time period.

Cont...



- The **traffic load on the channel**, given Poisson packet arrivals at rate λ and a packet transmission duration τ , is defined as $L = \lambda\tau$.
- In other words, L is the **ratio of** the **packet arrival rate** divided by the **packet rate that can be transmitted** over the channel at the channel's data rate R . So, L is unitless.
- If $L > 1$ then on average **more packets** (or bits) **arrive** in the system over a given time period **than can be transmitted** in that period,
 - so **systems with $L > 1$ are unstable**.
- **Performance** of random access techniques is typically characterized by **throughput T** of the system
- The throughput is defined as the **ratio of** the **average number of packets successfully transmitted** in any given time interval divided by the **number of attempted transmissions** in that interval. So, it is unitless.
- In other words, **Throughput** equals the **offered traffic load** multiplied by the **probability of successful packet reception**,
- So, $T = L \times p(\text{successful packet reception})$

Throughput in ALOHA

- In pure or unslotted ALOHA users transmit data packets as soon as they are formed
- we assume **no capture effect**, **no channel distortion** or **noise**
- So, **throughput** = offered load times the probability of no collisions
$$T = L \times p(\text{no collisions})$$
- **Vulnerable time in Pure ALOHA** = 2τ
- So, the probability that **no packets are generated during** the time $[-\tau, \tau]$ is given by Poisson distribution with $t = 2\tau$
$$p(X(t) = 0) = e^{-2\lambda\tau} = e^{-2L}$$
- So, the throughput $T = Le^{-2L}$
- Now, to get Maximum throughput $dT/dL = 0 \Rightarrow T_{\max} = e^{-1}/2 = 0.1839$
- Vulnerable time in **Slotted ALOHA** = τ
- So, **theoretical maximum throughput** $T_{\max} = e^{-1} = 0.3679 \Rightarrow 37\%$

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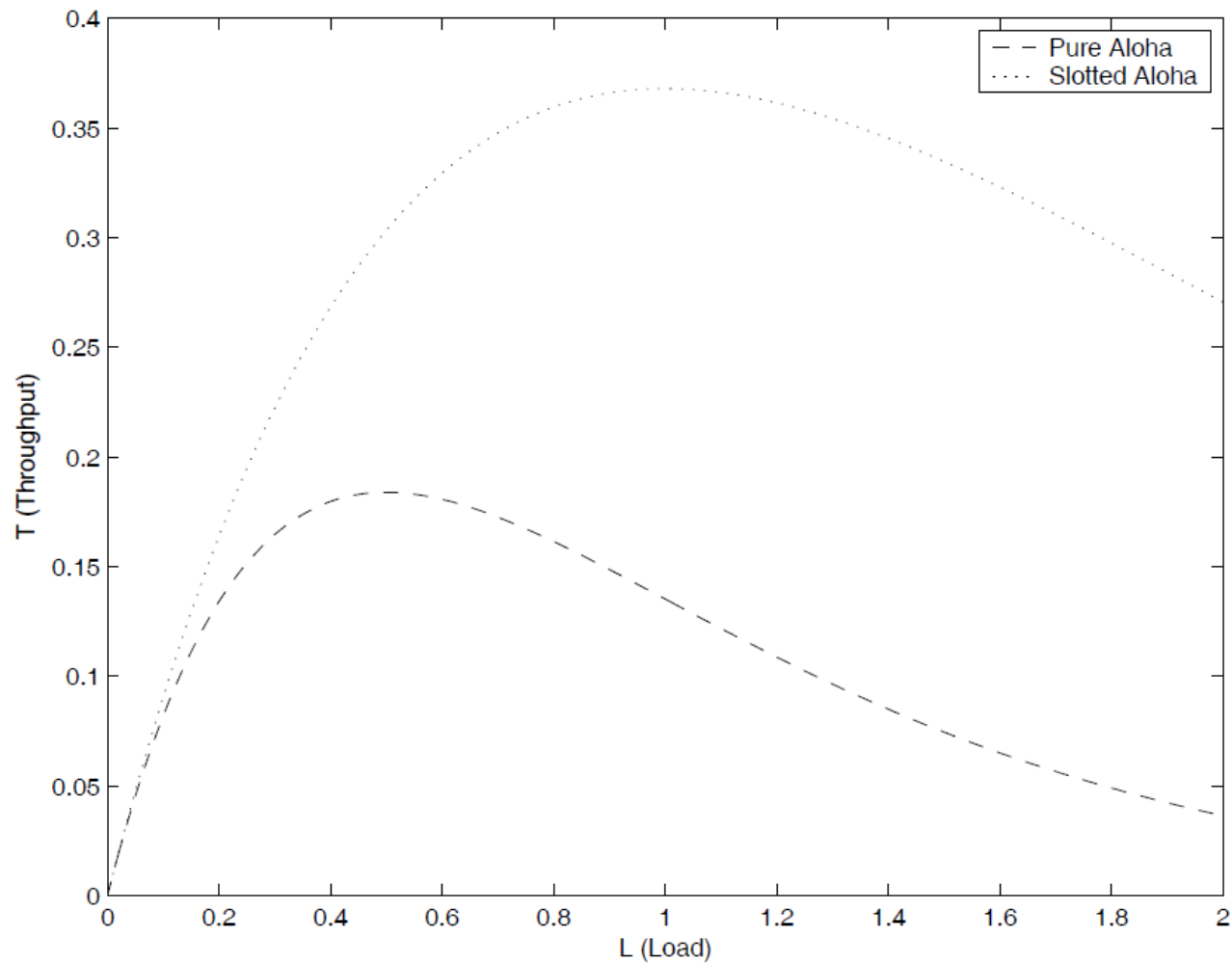


Figure 14.6: Throughput of Pure and Slotted ALOHA.

Efficiency of Slotted ALOHA

- The **efficiency** of a slotted multiple access protocol is defined to be the **long-run fraction of successful slots** in the case when there are a large number of active nodes, each always having a large number of frames to send.
- Let transmission **probability** p . (*modified version*)
- The probability that 'a given slot is a successful slot' is the probability that one of the nodes transmits and that the remaining $(n - 1)$ nodes do not transmit = $p(1-p)^{n-1}$
- the probability that any one of the n nodes has a success is $E = n p (1-p)^{n-1}$
- Thus, when there are n active nodes, the **efficiency of slotted ALOHA** is = $np(1-p)^{n-1}$
- Let slotted ALOHA achieves maximum efficiency at p^*
So, $dE/dp = 0 \Rightarrow np = 1 \Rightarrow p^* = 1/n$
- Now, to obtain the **maximum efficiency** for a large number of active nodes, we take the limit $np^*(1-p^*)^{n-1}$
So, $\lim_{n \rightarrow \infty} np^*(1-p^*)^{n-1} = \lim_{n \rightarrow \infty} (1-1/n)^{n-1} = 1/e = 0.3678$

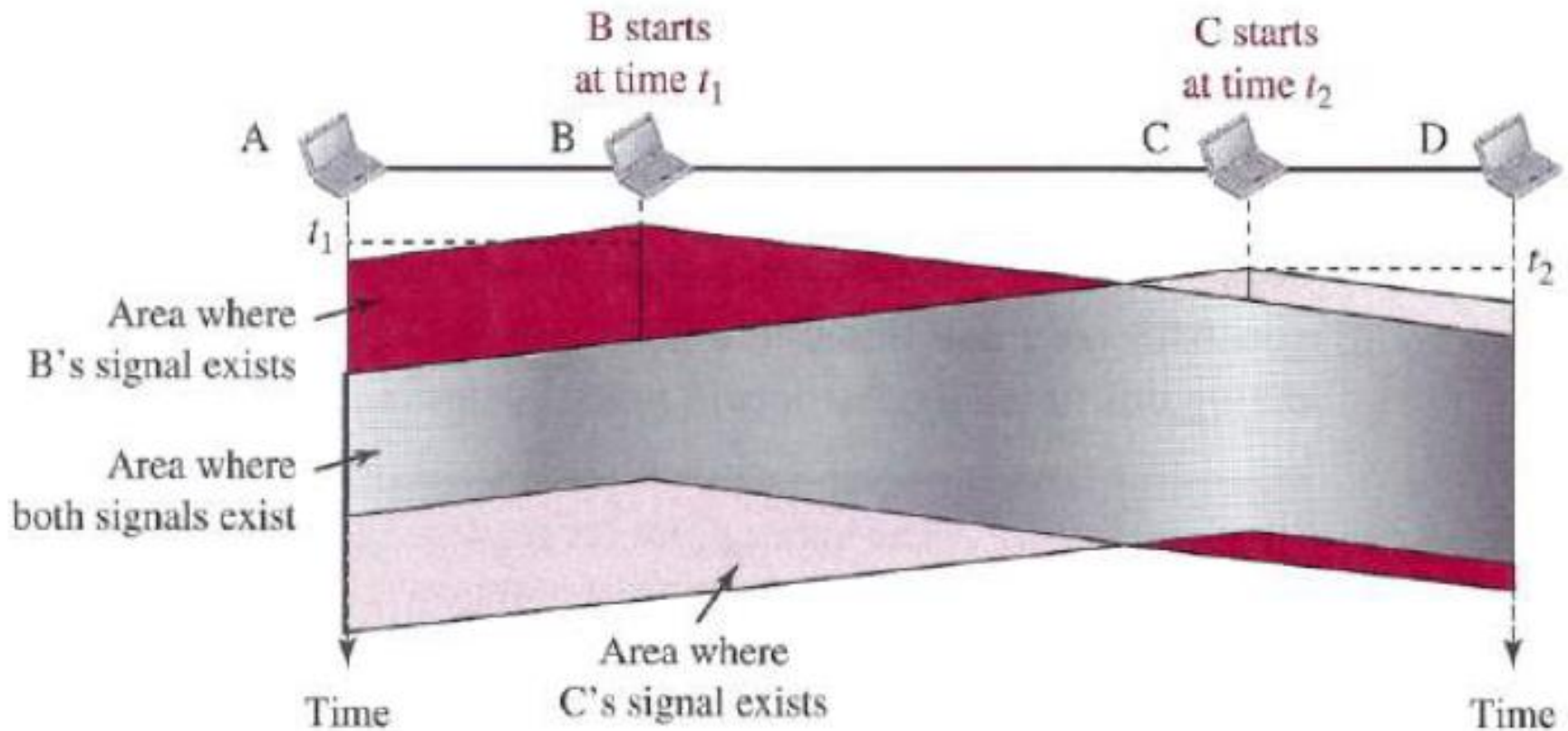
Efficiency of Pure ALOHA



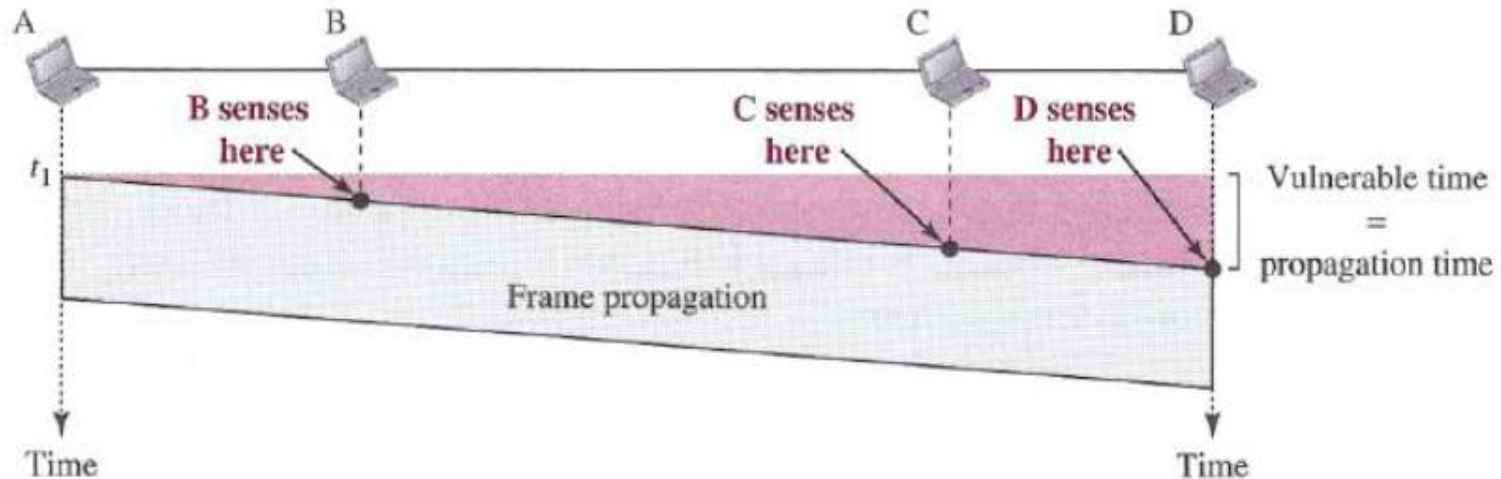
- The **efficiency** of a slotted multiple access protocol is defined to be the **long-run fraction of successful slots** in the case when there are a large number of active nodes, each always having a large number of frames to send.
- Let transmission **probability** p . (*modified version*)
- The probability that 'a given slot is a successful slot' is the probability that one of the nodes transmits and that the remaining $(n - 1)$ nodes do not transmit $= p(1-p)^{n-1}$
- In pure ALOHA, we have one more condition – no one else has started transmission in previous slot. Probability of this is $= (1-p)^{n-1}$
- the probability that any one of the n nodes has a success in a slot is $E = np(1-p)^{2(n-1)}$
- Thus, when there are n active nodes, the **efficiency of slotted ALOHA** is $= np(1-p)^{2(n-1)}$
- Let slotted ALOHA achieves maximum efficiency at p^*
So, $dE/dp = 0 \quad \Rightarrow p^* = 1/(2n-1)$
- Now, to obtain the **maximum efficiency** for a large number of active nodes, we take the limit $np^*(1-p^*)^{2(n-1)}$
So, $\lim_{n \rightarrow \infty} np^*(1-p^*)^{2(n-1)} = 1/2e = 0.18$

Carrier Sense Multiple Access

- Sense the medium before trying to use it
- “sense before transmit” or “listen before talk”

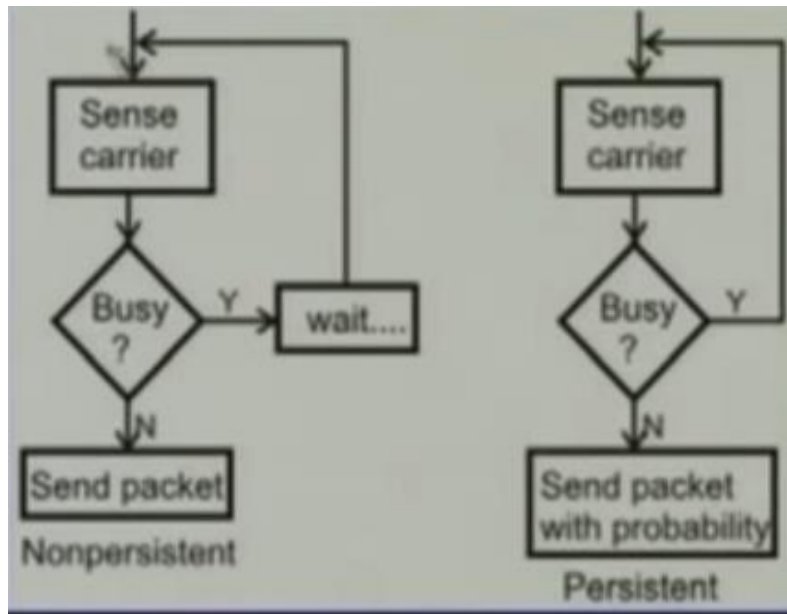


CSMA vulnerable time



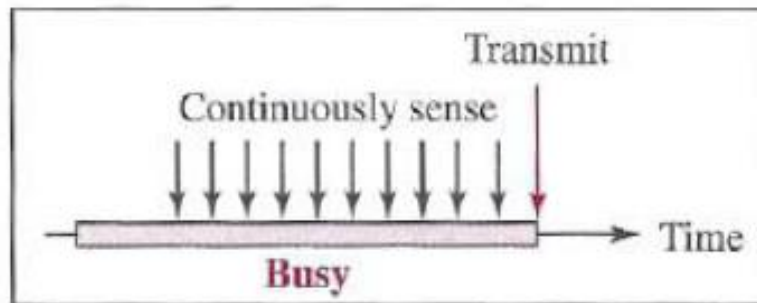
- Vulnerable period = $t(\text{prop})$ (i.e, one propagation time)
- What should a station do if channel is busy/idle?
 - 1-persistent
 - Non-persistent
 - p-persistent

Persistent Methods

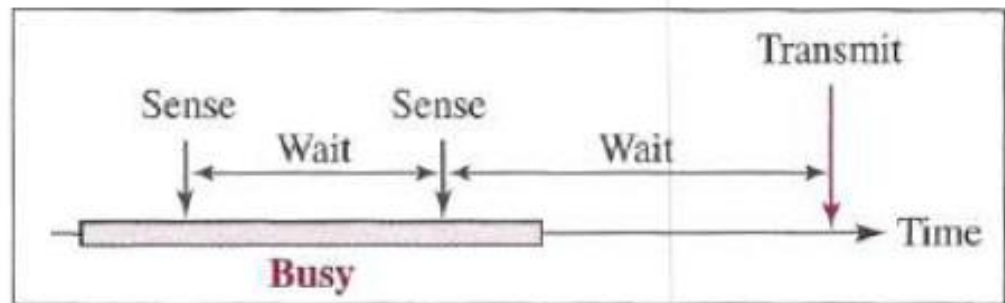


- 1-persistent
 - Continuously sense the channel
 - if idle, transmit frame (with probability 1)
- Non-persistent
 - Sense the channel
 - If idle, transmit frame (with probability 1)
 - If busy, wait a random amount of time and then sense the channel again
- p -persistent
 - Non-persistent , but transmit frame (with probability p)

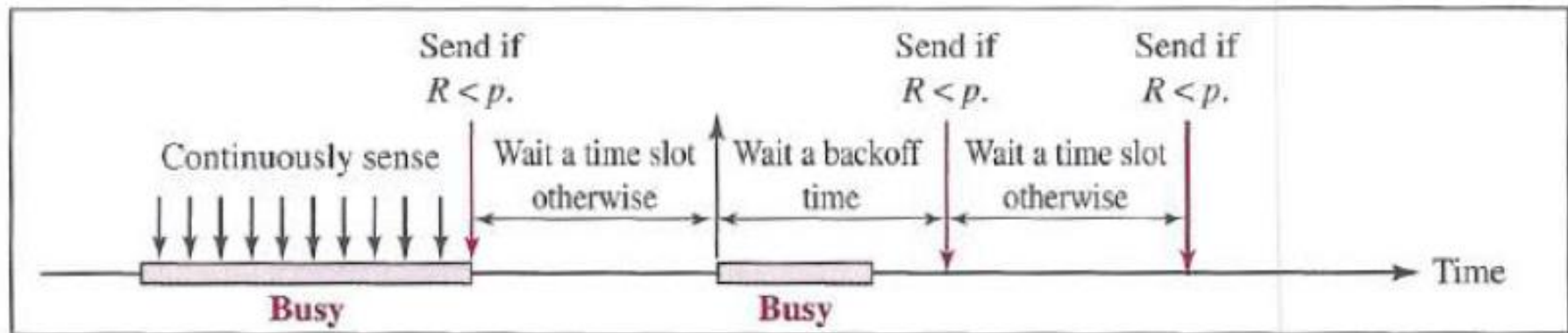
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a. 1-Persistent



b. Nonpersistent



c. p -Persistent

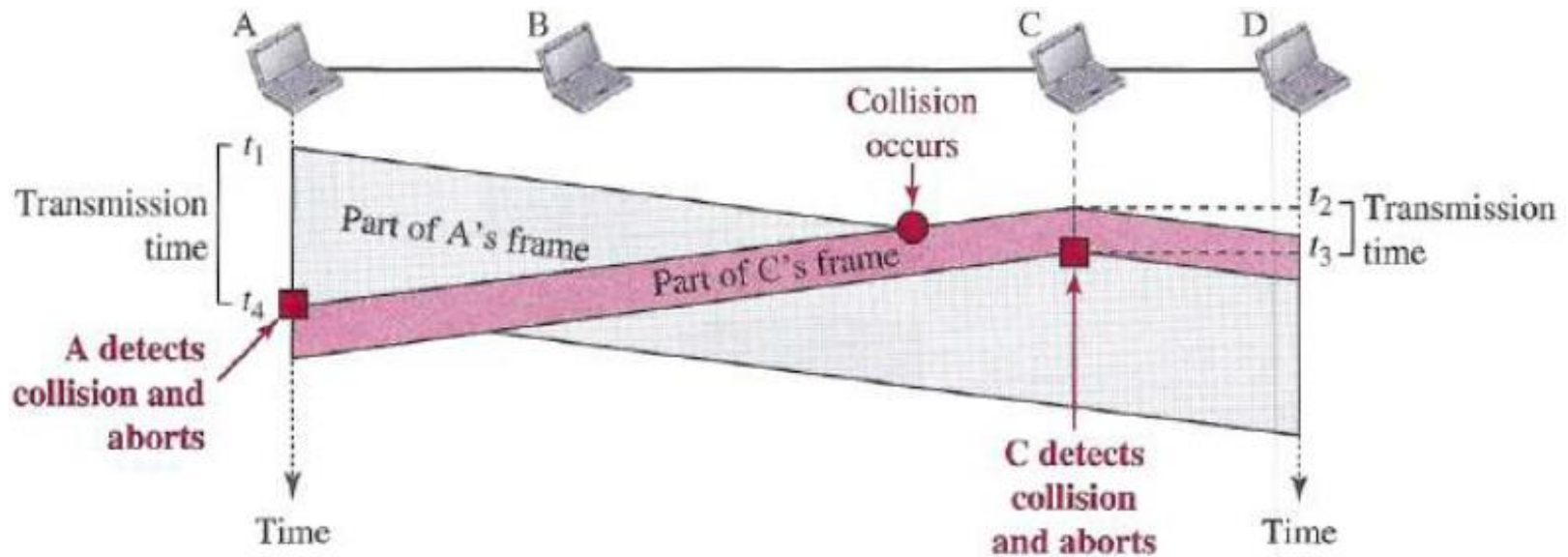
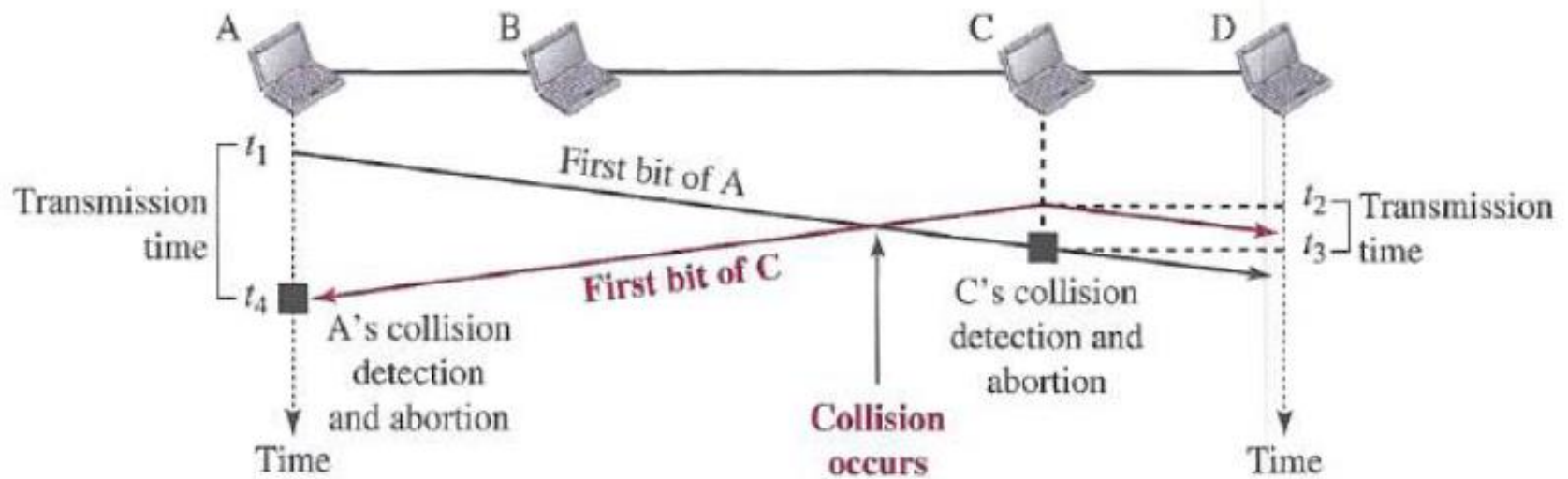
CSMA/CD (Collision Detection)

- CSMA with Collision Detection (CSMA/CD)
- Stations listens to the medium while transmitting; Listen while talking (LWT).
- Closed form approximation of the **efficiency** of Ethernet:
$$E = 1 / (1 + 5 d_{\text{prop}} / d_{\text{trans}})$$

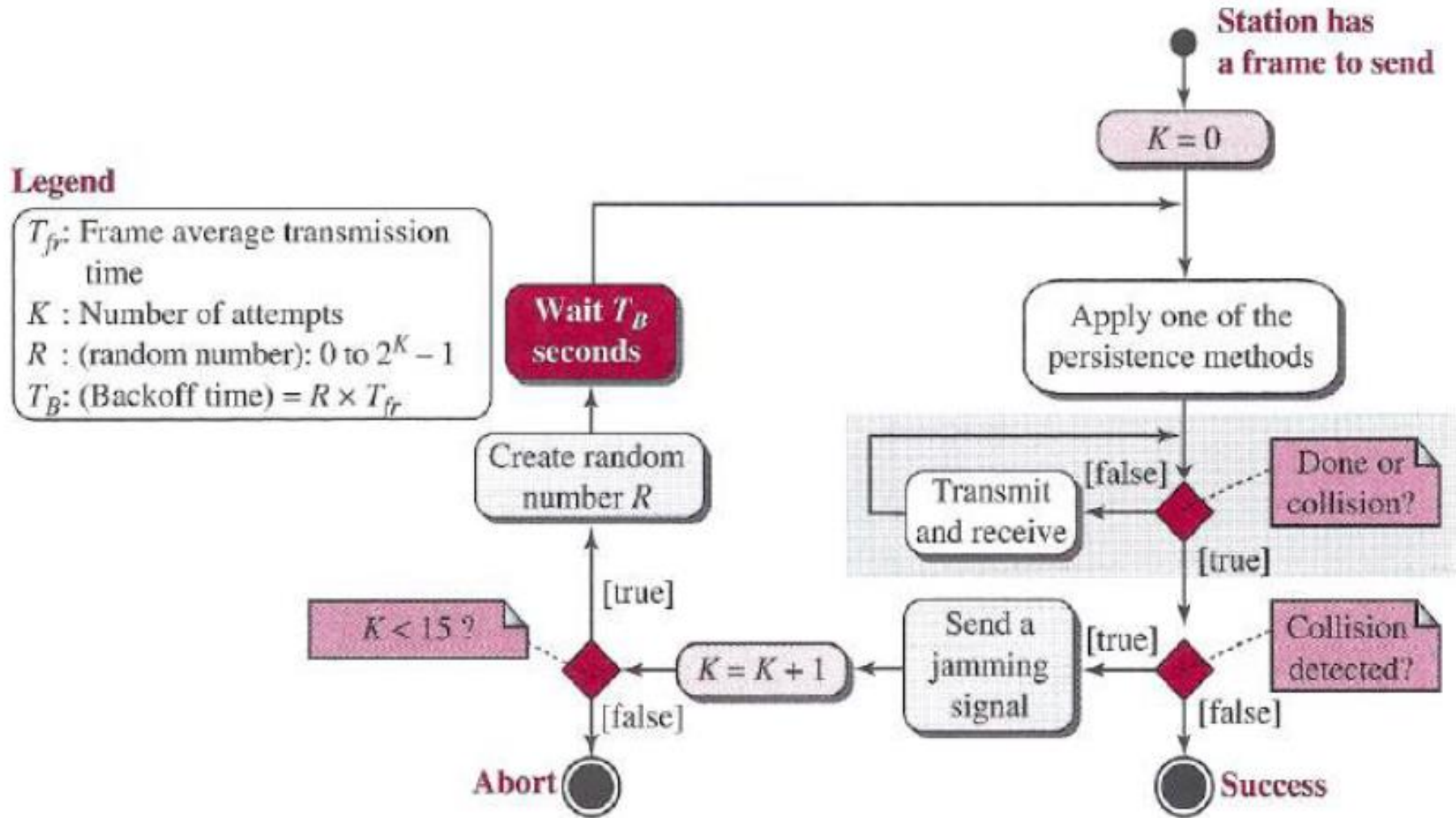
Where, d_{prop} : maximum propagation time between two adapters
 d_{trans} : time to transmit a maximum size frame
(approx. 1.2 msec for 10 Mbps Ethernet)

- If **channel idle**:
 - Packet is transmitted if non-persistent or 1-persistent
 - For p-persistent, the packet is sent with probability p or delayed by the end-to-end propagation delay with probability $(1-p)$.
- If **channel is busy**:
 - The packet is backed off and the algorithm is repeated for **non-persistent** case
 - The station defers transmission until the channel is sensed idle and then immediately transmits in **1-persistent** case
 - For **p-persistent** CSMA/CD the stations defers until the channel is idle, then follow the channel idle procedure.

CSMA/CD



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- Points to remember:
 - Use of the **persistence process**
 - The station **transmits and receives continuously and simultaneously** (using two different ports or a bidirectional port)
 - We constantly monitor in order to detect one of two conditions: either transmission is finished or a **collision is detected**
 - sending of a **short jamming signal** to make sure that all other stations become aware of the collision
 - Use of random **backoff** mechanism
 - Use of **retransmission limit**

Jamming Signal in CSMA/CD

- Did a collision occur? If so, go to collision detected procedure.
 - In that procedure, continue transmission (**with a jam signal** instead of frame header/data/CRC) until **minimum packet time** is reached **to ensure that all receivers detect the collision**.
 - The **jam signal** is a signal that carries a 32-bit binary pattern
 - The maximum jam-time:
 - The maximum allowed diameter of an **Ethernet** is limited to 232 bits. This makes a round-trip-time of 464 bits. As the **slot time** in Ethernet is 512 bits, the difference between slot time and round-trip-time is 48 bits (6 bytes), which is the maximum "jam-time".

Thanks!

Figure and slide materials are taken from the following sources:

1. W. Stallings, (2010), [Data and Computer Communications](#)
2. [NPTL lecture](#) on Data Communication, by Prof. A. K. Pal, IIT Kharagpur
3. B. A. Forouzan, (2013), [Data Communication and Networking](#)